

# Computational Geometry: Solving Hard Optimization Problems (CG:SHOP)

### **CG Challenge 2025**

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### Minimum Non-Obtuse Triangulations



**Given:** 



### Proposed by Mikkel Abrahamsen, Copenhagen



June 25, 2025 | CG Challenge 2025 | CGWEEK 2025













## Results

Rank	Team Name	Score	# feasible	Junior	Comment
1	Naughty NOTers	149.813	150		
2	Gwamegi	139.769	150	$\checkmark$	
3	KITriangle	85.482	147	$\checkmark$	
4	<b>Obtuse</b> Terminators	80.756	114	$\checkmark$	
<b>5</b>	< anonymous >	61.541	81	$\checkmark$	
6	die-obtuse	55.596	54	$\checkmark$	
7	cheetos	25.973	0	$\checkmark$	
8	Delaunay Baseline	25.935	0		Delaunay Triang. as reference









## Results

### **Computing High-Quality Non-Obtuse Triangulations**

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# Incremental algorithm and local search for minimum non-obtuse triangulations

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- Special issues 2019, 2021, 2022, 2023, 2024
- Problem for 2026!

Renewal looks good - stay tuned!



## **Overall Situation**



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### About the Journal

### Statement of purpose

Computing in Geometry and Topology aims to support the broader computational geometry and topology community by being a peer-reviewed scientific journal that provides diamond open access. Computing in Geometry and Topology is sponsored by the Society for Computational Geometry.

With the broader computational geometry and topology community, we include researchers in discrete and combinatorial geometry, and any application area of computational geometry and topology. We also include algorithm engineering for geometric computations.

The journal publishes two types of papers. Firstly, the journal publishes original research of sufficient depth and interest. Secondly, the journal publishes high-quality survey papers. Every paper has been thoroughly reviewed by experts in the area.

To emphasize the breadth of the interpretation of computational geometry and topology, the editorial board has different sections that represent the algorithmic and mathematical aspects, the applied aspects, and the engineering aspects.







## Collection





### Multi Agent Path Finding

Compute a set of feasible trajectories a given set of robots and targets.

LEARN MORE



### Minimum Non-Obtuse Triangulation

Find a feasible non-obtuse triangulation using a minimum number of Steiner points

🚯 API







# Challenge 2026: Flipping Triangulations

### Flips in Plane Graphs Old Problems, New Results

Oswin Aichholzer





- Computing the flip distance between two triangulations of a planar point set is
  - NP-complete [Pilz 2012] and [Lubiw, Pathak 2012]
  - APX-hard [Pilz, 2014] (reduction from VERTEX COVER), i.e., no polynomial-time algorithm to approximate the flip distance by  $1 + \varepsilon$ ,  $\varepsilon \ge 0.36$  exists
  - fixed-parameter tractable for flip distance k:  $O^*(k \cdot 32^k)$  [Feng, Li, Meng, Wang 2021], for convex sets  $O^*(3.82^k)$  [Li, Xia 2025]
- Computing the flip distance between two triangulations of a simple polygon is NP-complete [A., Mulzer, Pilz, 2015] reduction from RECTILINEAR STEINER ARBORESCENCE





# Thank you!



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